

Magneto-optical measurement of the orientation of the antiferromagnetism vector in a phase transition in hematites under conditions of uniaxial tension

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(Submitted 16 September 1977)

Pis'ma Zh. Eksp. Teor. Fiz. **26**, No. 9, 634–637 (5 November 1977)

A magneto-optical method is proposed for the investigation of the magnetic phase transition in hematite ($\alpha\text{-Fe}_2\text{O}_3$) under conditions of uniaxial tension at 300 K. An explicit dependence of a transition parameter (the rotation angle of the antiferromagnetism vector) on the magnetic field and on the mechanical stress is obtained.

PACS numbers: 75.30.Kz, 75.80.+q, 78.20.Ls

A pressing problem in the investigation of antiferromagnetism is observation of the orientation of the antiferromagnetism vector \mathbf{l} , which can be monitored directly with the aid of nuclear-physics methods (neutron diffraction etc.), but with low accuracy. In this paper we report observation of the state of the vector \mathbf{l} with the aid of magneto-optical methods.

Hematite ($\alpha\text{-Fe}_2\text{O}_3$, crystal structure D_{3d}^6) in the weakly ferromagnetic phase ($260^\circ < T < 950^\circ$) has the property that the vector \mathbf{l} tends to become oriented in the basal plane perpendicular to the external magnetic field \mathbf{H} , and at the same time perpendicular to the uniaxial tensile stress \mathbf{p} applied in the basal plane. The competition of these two factors leads to the onset of a phase transition, and the parameter of the transition is the angle ϕ of rotation of the vector \mathbf{l} . The orientations of the vectors \mathbf{H} , \mathbf{p} , and \mathbf{l} is shown in Fig. 1, with $x \parallel U_2$.

A theoretical analysis based on the use of a very simple thermodynamic potential that leads to $\neq 0$, and with allowance for the magneto-elastic contribution that is bilinear in the components \mathbf{l} , yields the following formula for the determination of the equilibrium value of ϕ :

$$(U_{11} - U_{12})p \sin 2\phi = m_D H \sin(\phi - \beta) + (\chi_{\perp} - \chi_{\parallel}) H^2 \sin 2(\phi - \beta), \quad (1)$$

where $\frac{1}{2}(U_{11} - U_{12}) = M$ is the magnetostriction constant,^[1] m_D is the Dzyaloshinskiĭ weak-ferromagnetic moment, χ_{\perp} and χ_{\parallel} are the magnetic susceptibilities across and along \mathbf{l} , respectively, and β is the angle between \mathbf{H} and the x axis.

The stable state corresponds to a solution of Eq. (1) with $\phi \rightarrow \beta$ as $H \rightarrow \infty$ and $\phi \rightarrow \pi/2$ as $H \rightarrow +0$.

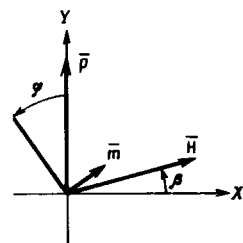


FIG. 1. Orientations of the vectors \mathbf{l} , \mathbf{m} , \mathbf{H} , and \mathbf{p} under the conditions of the experiment.

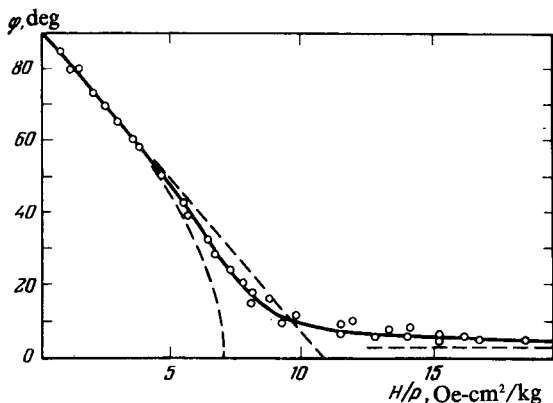


FIG. 2. Dependence of the angle ϕ on H/p . Solid line—theoretical curve.

When $\mathbf{p} \parallel \mathbf{H}$ ($\beta=0$) the dependence of ϕ on H at constant p has the character of a second order phase transition, namely: 1) $\phi=0$ at $H > H_{cr}$,

$$2) \phi = \arccos \left\{ m_D H / [2(U_{12} - U_{11})p - H^2(\chi_{\perp} - \chi_{\parallel})] \right\} \text{ at } 0 < H < H_{cr}, \quad (1)$$

where

$$H_{cr} = \frac{\sqrt{m_D^2 + 8(\chi_{\perp} - \chi_{\parallel})(U_{12} - U_{11})p - m_D}}{2(\chi_{\perp} - \chi_{\parallel})}.$$

In the case when $\chi_{\parallel}=0$, formulas (2) and (3) coincide with those obtained in^[2]. We note that the transition changes the symmetry jumpwise: the more symmetrical phase I has symmetry elements of E , I , σ_d , and U_2 , and the less symmetrical phase—only of E . At this orientation rotation of \mathbf{l} is even in ϕ , i.e., a domain structure can be formed. This degeneracy is lifted at $\beta \neq 0$.

For the experimental investigation we used the magneto-optical method described in^[3]. It made it possible to measure the components of the dielectric tensor ϵ_{xy} and $\frac{1}{2}(\epsilon_{xx} - \epsilon_{yy})$, which have the following dependences on ϕ and p :

$$\frac{1}{2}(\epsilon_{xx} - \epsilon_{yy}) = \eta \cos 2\phi + \zeta p,$$

$$\epsilon_{xy} = \eta \sin 2\phi,$$

where η is the magnetic contribution to the birefringence and ζ is the piezo-optical constant.

The results of the experiment indicate that at a strict orientation $\mathbf{H} \parallel \mathbf{p}$ the sample breaks into domains and one cannot speak of the value of the angle ϕ for the sample as a whole in a rigorous sense in the transition region.

When \mathbf{H} deviates from the position $\mathbf{H} \parallel \mathbf{p}$ ($|\beta| \gtrsim 2^\circ$), the rotation of \mathbf{l} takes place in practice in a single-domain fashion at $p > 100 \text{ kg/cm}^2$. Figure 2 shows the values of the angle ϕ as a function of H/p for $\beta = 3^\circ$ ($100 \text{ kg/cm}^2 < p < 150 \text{ kg/cm}^2$, $0 < H < 3 \text{ kOe}$). The experimental points agree well with the theoretical curve drawn in accordance with formula (1) at $m_D/2(U_{12} - U_{11}) = 1.45 \times 10^4 \text{ Oe}$.

Experiment yielded the following dependence of the critical field on the tensile stress

$$H_{cr}(p) = 6.75p \text{ (Oe-cm}^2/\text{kgf)},$$

where p is in kg/cm^2 .

The described method is effective for direct observation of the magnetic phase transition in the vicinity of the Morin point.

In conclusion, the authors thank Academician A.M. Prokhorov and the Scientific Director of NRS, Dr. J. Winter, for support and for a discussion of the work.

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