

Electromagnetic characteristics of $P \rightarrow \gamma l^+ l^-$ decays in the nonlocal quark model

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The electromagnetic characteristics of the pseudoscalar-meson decay $P \rightarrow \gamma l^+ l^-$ were calculated in the nonlocal quark model. An agreement with the recently obtained experimental data for η mesons is obtained and a prediction for the η' meson is given.

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An interest in studying the $P \rightarrow \gamma l^+ l^-$ decays has increased recently. Fischer *et al.*¹ have determined experimentally the sign and the absolute value of a in the π -meson form factor for the $\pi^0 \rightarrow \gamma e^+ e^-$ decay. The characteristics of the $\eta \rightarrow \mu^+ \mu^- \gamma$ and $\eta' \rightarrow \mu^+ \mu^- \gamma$ decays have recently been observed and measured at Serpukhov.^{2,3}

In this paper we examine these processes in the nonlocal quark model,⁴ a self-consistent, relativistic scheme of the quantum-field bag. Using only two free parameters characterizing the quark field, this model can describe with good accuracy a rather large number of decays of the pseudoscalar mesons and vector mesons and of the baryon octet and decuplet.^{4,5}

The diagrams corresponding to the $P \rightarrow \gamma l^+ l^-$ decay are shown in Fig. 1. The invariant amplitude has the form

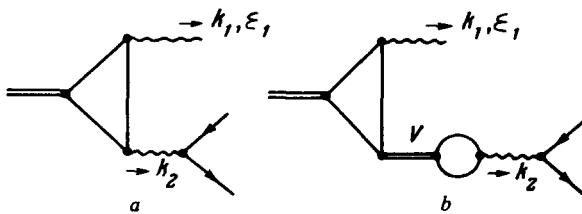


FIG. 1.

$$M(P \rightarrow \gamma l^+ l^-) = -e^3 \Phi_P(k_2^2) \epsilon_{\mu\rho\nu\sigma} \epsilon^\mu(k_\perp) k_1^\rho k_2^\sigma j_{em}^\nu |k_2^2|.$$

Here,

$$\Phi_P(k_2^2) = g_{P\gamma\gamma}(k_2^2) + k_2^2 \sum_v \frac{g_{Pv}\gamma}{f_v} \frac{1}{m_v^2 - k_2^2}.$$

We have the following parametrization for sufficiently small k_2^2 :

$$\Phi_P(k_2^2) = g_{P\gamma\gamma}(0) \left[1 + \frac{k_2^2}{M_P^2} \right],$$

where

$$\frac{1}{M_P^2} = \frac{L^2}{4} \frac{1}{1 + \mu_P^2 \left[1 + \frac{1}{2} \xi^2 \right] / 12} \left[\left(1 + \frac{1}{2} \xi^2 \right) / 12 + F(\xi) r_P \right],$$

$$\mu_P^2 = \left(\frac{m_P L}{2} \right)^2,$$

$$F(\xi) = 2\lambda\xi^2 S_o(\xi) [1 + 2S_1(\sqrt{2}\xi) - C_o(\sqrt{2}\xi)] \frac{4}{m_P^2 L^2},$$

$$r_{\pi^0} = 2,$$

$$r_\eta = \frac{10}{3} \frac{\cos\theta - \sqrt{2}\sin\theta}{\cos\theta - 2\sqrt{2}\sin\theta},$$

$$r_{\eta'} = \frac{10}{3} \frac{\sqrt{2}\cos\theta + \sin\theta}{2\sqrt{2}\cos\theta + \sin\theta}.$$

The structure integrals have the form

